

Figure 3.26 Schematic of a back-contact solar cell

cell [22], as illustrated in Figure 3.26. Since both electrical contacts are on the back, there is no grid shadowing. These cells are typically used in concentrator application and high-level injection conditions pervade. Assuming high-level injection, a simple analysis is possible.

Returning to equations (3.76) and (3.77), it can be seen that in high-level injection, the electric field can be eliminated (it is not necessarily zero), resulting in the ambipolar diffusion equation

$$D_{a}\frac{d^{2}p}{dx^{2}} - \frac{p}{\tau_{n} + \tau_{p}} = -G(x), \qquad (3.166)$$

where the ambipolar diffusion coefficient is given by

$$D_{\rm a} = \frac{2D_n D_p}{D_n + D_p}.$$
 (3.167)

The ambipolar diffusion coefficient is always less than the larger diffusion coefficient and greater than the smaller one.

In silicon, where  $D_n/D_p \approx 3$  over a wide range of doping, the ambipolar diffusion coefficient is  $D_a \approx 3/2D_p \approx 1/2D_n$  and, if we also assume  $\tau_p \approx \tau_n$ , the ambipolar diffusion length is

$$L_{\rm a} \approx \sqrt{3}L_p \approx L_n. \tag{3.168}$$